

Introduction

Objective of the work:

- develop an integrated model of the heat demand coupled to the power system
- assess the potential of the heat demand as a flexibility provider

Optimisation model minimizing the total operational system cost with

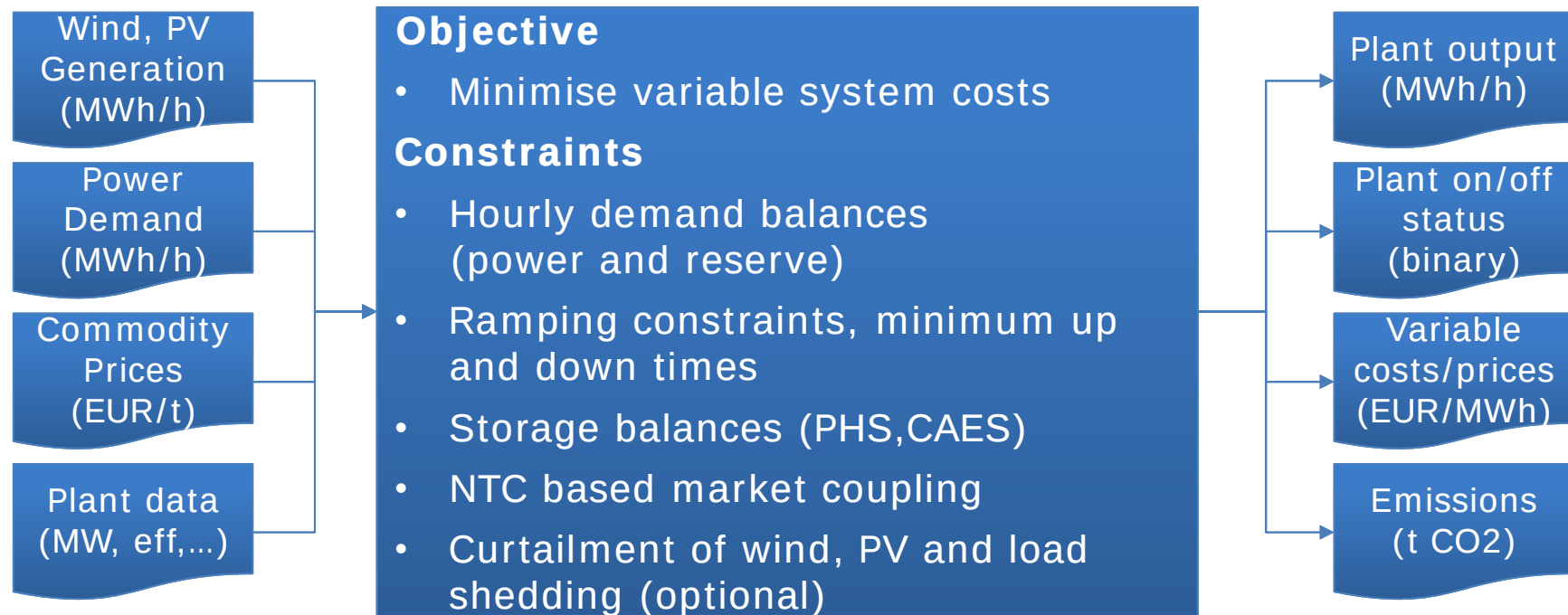
- supply side: unit commitment and dispatch model
- heat demand: space heating and domestic hot water
- electric heating: heat pumps and water heaters

Dispa-SET in a nutshell

- Unit commitment and dispatch model of the European power system
- Optimises short-term scheduling of power stations in large-scale power systems
- Assess system adequacy and flexibility needs of power systems, with growing share of renewable energy generation
- Assess feasibility of power sector solutions generated by the JRC-EU-TIMES model



Dispa-SET 2.1: unit commitment and dispatch model

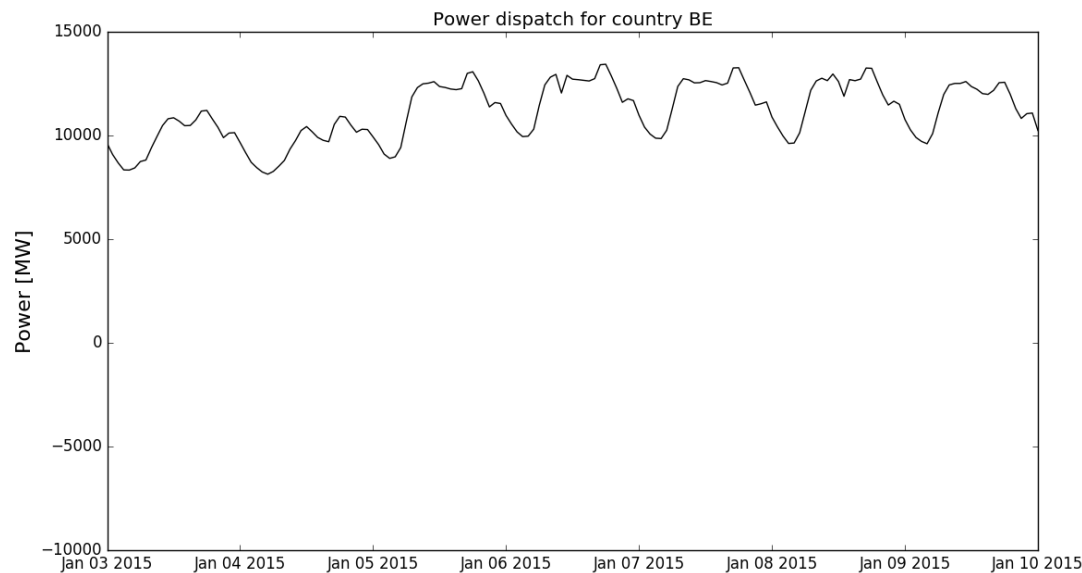


Formulated as a tight and compact mixed integer program (MILP)

Implemented in Python and *GAMS*, solved with *CPLEX*

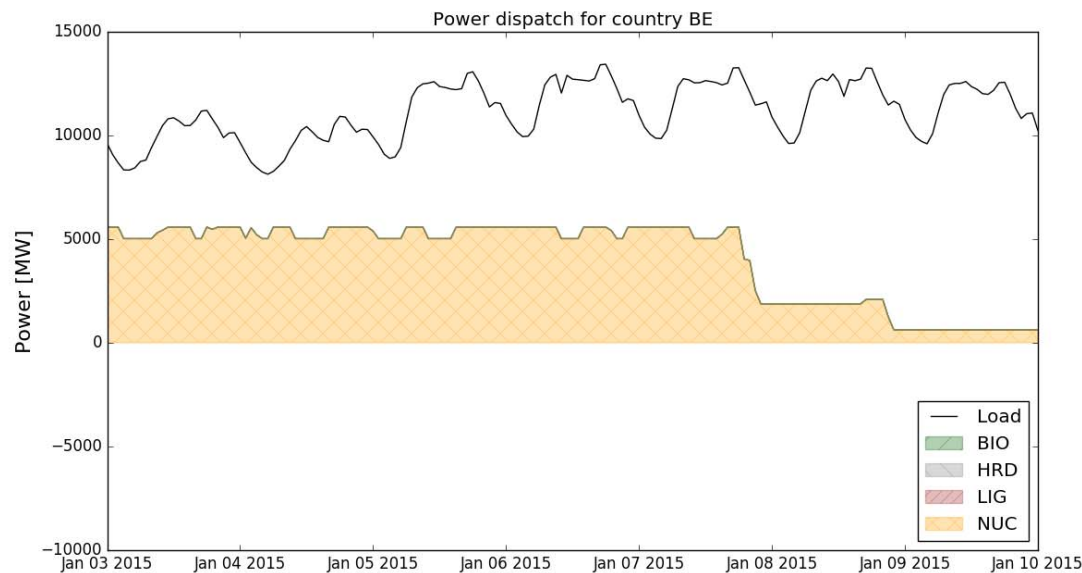
Dispa-SET 2.1

$$\begin{aligned}
 & \min \sum_i \text{SystemCost}_i \\
 & \sum_u (P_{u,i} \cdot \text{Location}_{u,n}) + \sum_l (\text{Flow}_{l,i} \cdot \text{LineNode}_{l,n}) \\
 & = \text{Demand}_{DA,n,h} + \sum_r (\text{StorageInput}_{s,h} \cdot \text{Location}_{s,n}) - \text{ShedLoad}_{n,i} \\
 & \quad - \text{LostLoadMaxPower}_{n,i} + \text{LostLoadMinPower}_{n,i} \quad (2)
 \end{aligned}$$



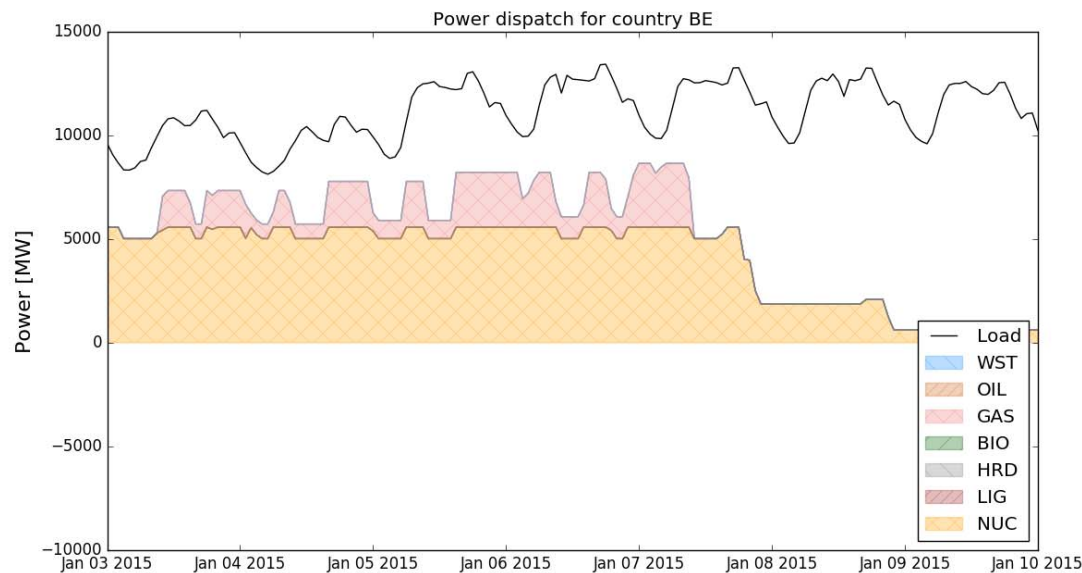
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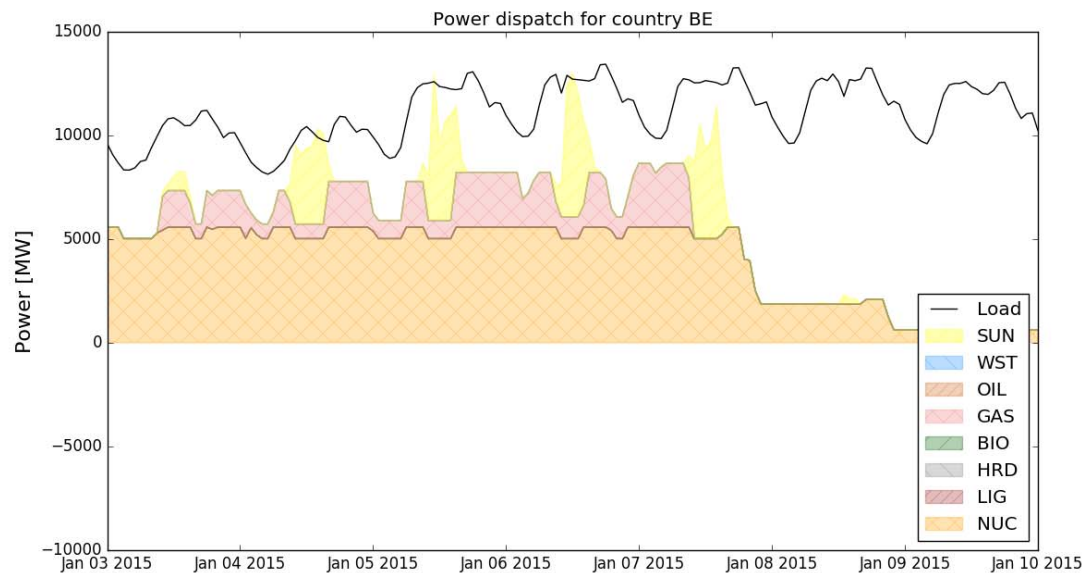
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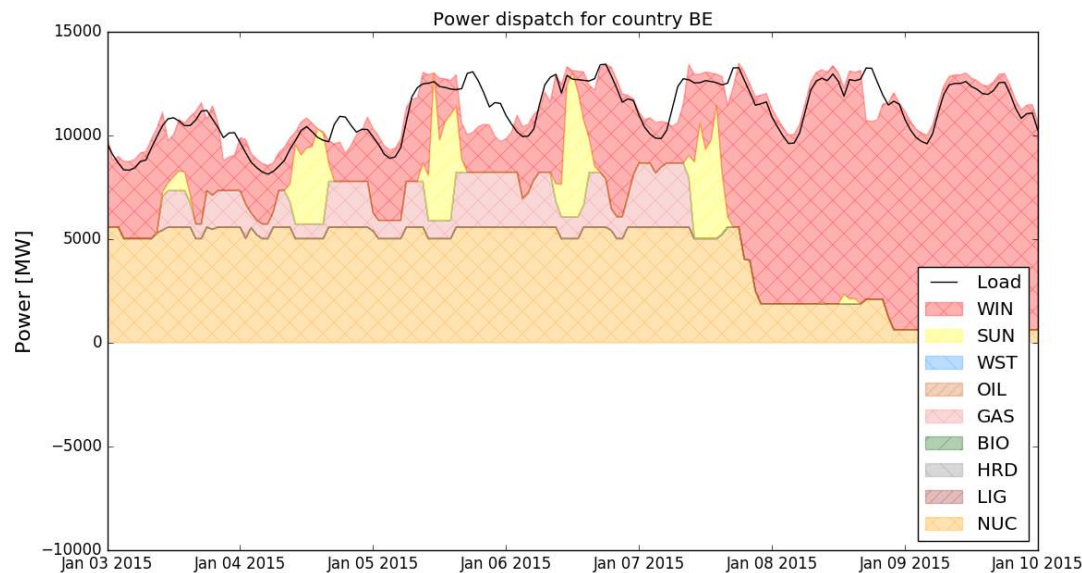
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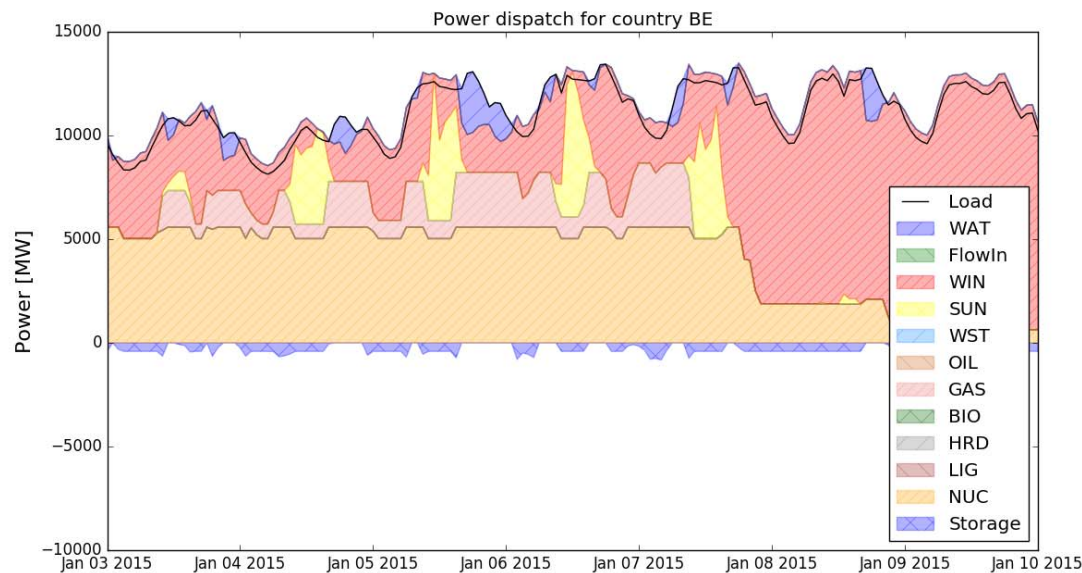
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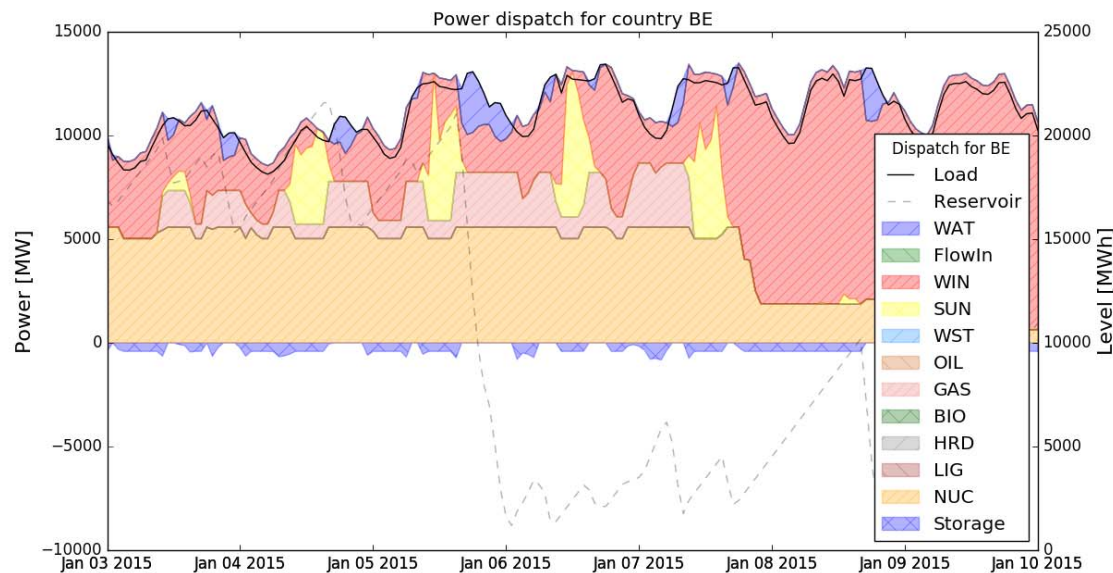
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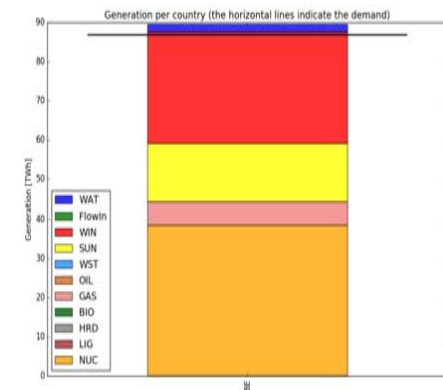
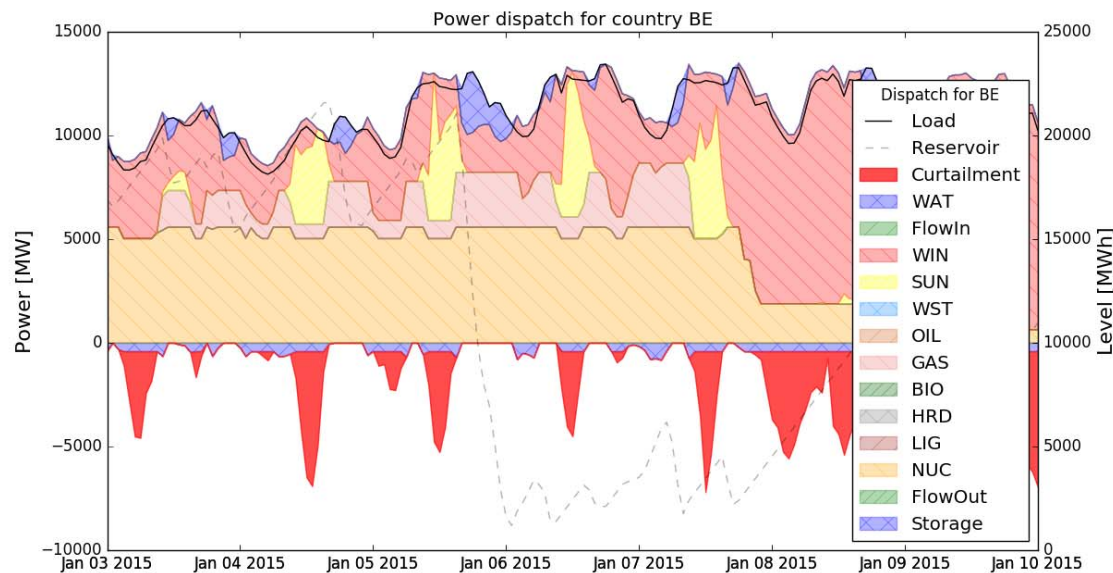
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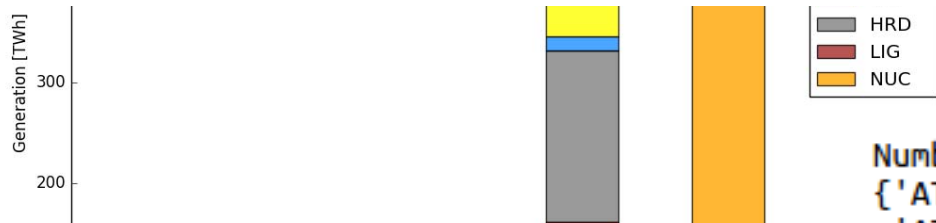
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 \end{aligned} \tag{2}$$



Dispa-SET 2.1: typical outputs

Country-Specific values (in TWh or in MW):

	Demand	PeakLoad	NetImports	LoadShedding	Curtailment
AT	59.375448	10144.000000	5.144132	NaN	NaN
BE	86.971154	13632.250000	8.911190	NaN	NaN
CH	44.694098	7794.262468	7.199527	NaN	NaN
DE	478.030824	76212.250000	-17.260122	NaN	NaN
FR	470.075612	90588.000000	-51.878128	NaN	NaN
NL	87.925973	16285.500000	5.682672	NaN	NaN



Aggregated statistics for the considered area:

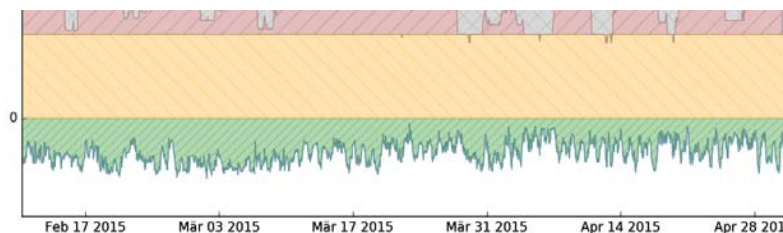
Total consumption: 1227.07310992 TWh

Peak load: 203182.461067 MW

Net importations: -42.20072928 TWh

Number of hours of congestion on each line:

```
{
  'AT -> CH': 5917,
  'AT -> DE': 430,
  'BE -> FR': 62,
  'BE -> NL': 344,
  'CH -> AT': 720,
  'CH -> DE': 15,
  'CH -> FR': 56,
  'DE -> AT': 1522,
  'DE -> CH': 4378,
  'DE -> NL': 2803,
  'FR -> BE': 2689,
  'FR -> CH': 7665,
  'NL -> BE': 1403,
  'NL -> DE': 60
}
```



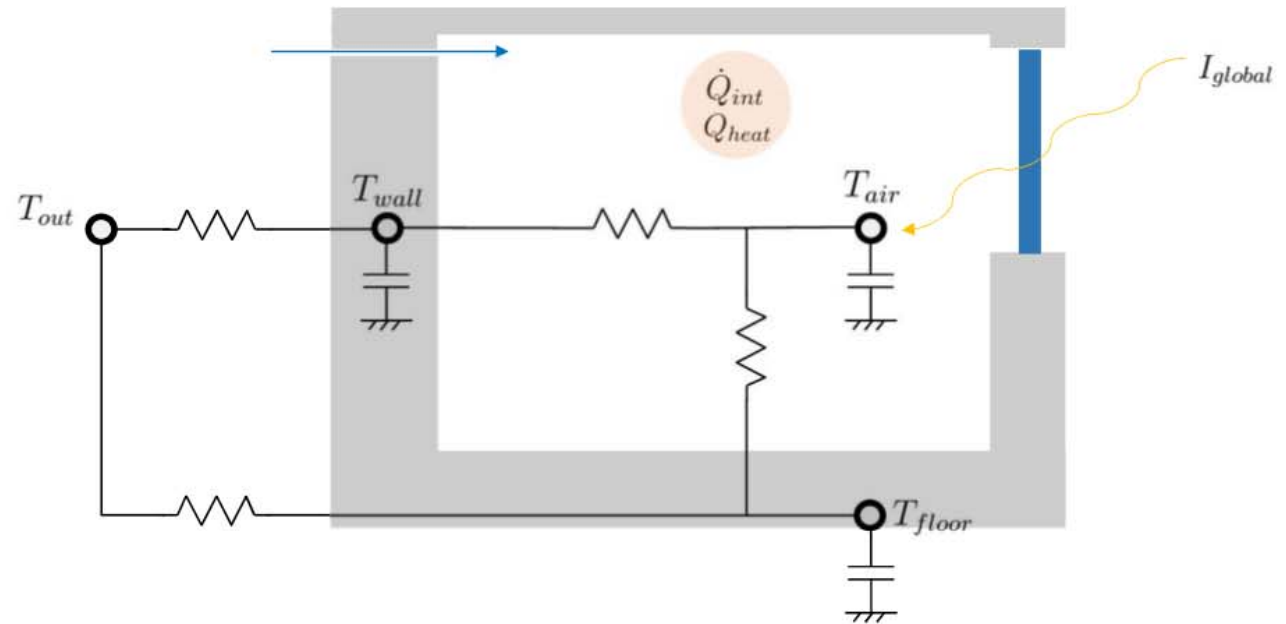
Heat model

$$T_t = \mathbf{A}T_{t-1} + \mathbf{B}U_t \quad (4)$$

Space heating

$$T_t = \begin{pmatrix} T_{air} \\ T_{wall} \\ T_{floor} \end{pmatrix}_t$$

$$U_t = \begin{pmatrix} T_{out} \\ I_{glob} \\ \dot{Q}_{int} \\ \dot{Q}_{heat} \end{pmatrix}_t$$



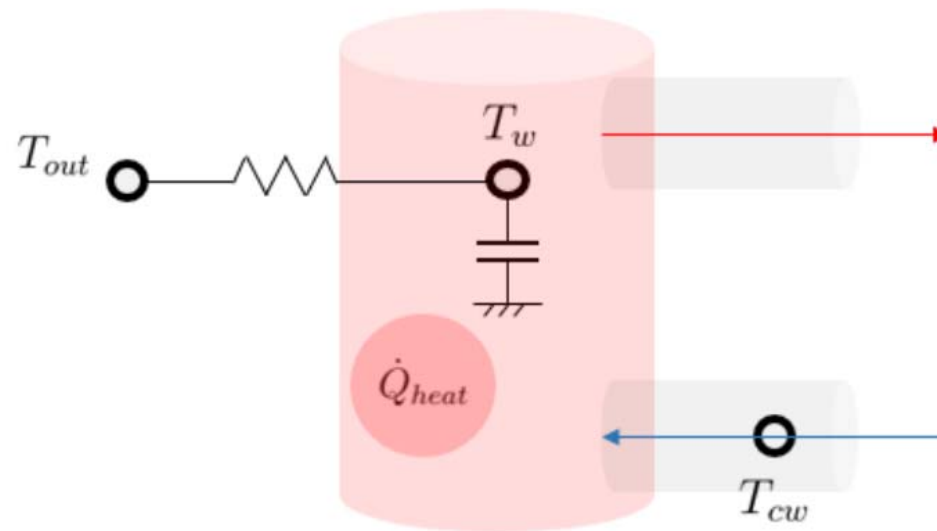
Heat model

$$T_t = \mathbf{A}T_{t-1} + \mathbf{B}U_t \quad (4)$$

Domestic hot water

$$T_t = (T_w)_t$$

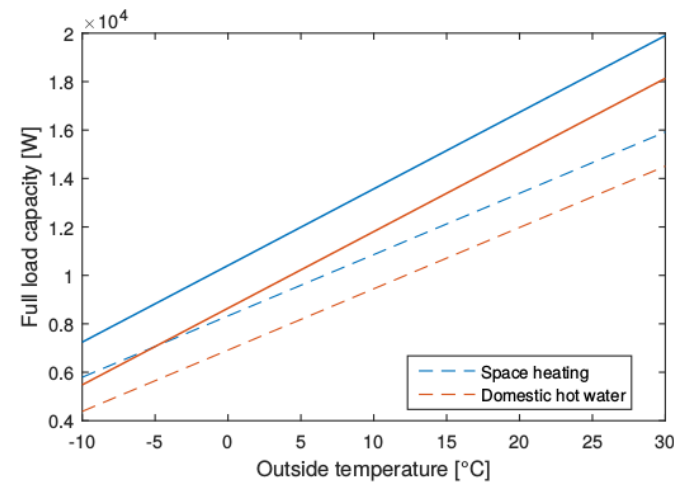
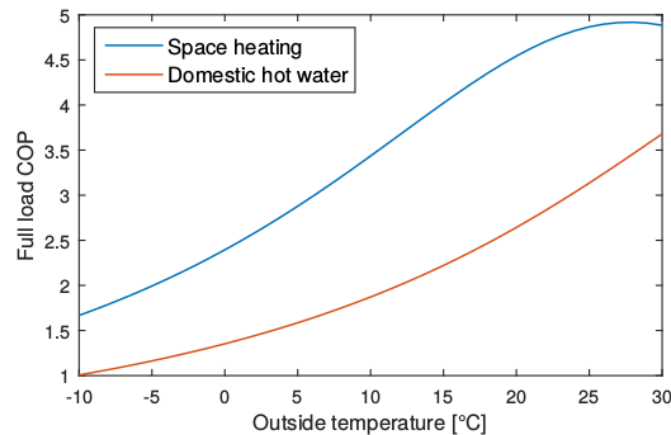
$$U_t = \begin{pmatrix} T_{out} \\ T_{cw} \\ \dot{Q}_{heat} \end{pmatrix}_t$$



Heat model

Heat pumps: variable speed air-to-water

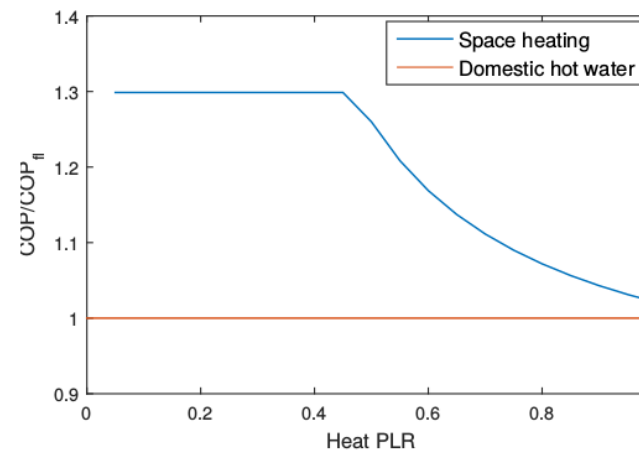
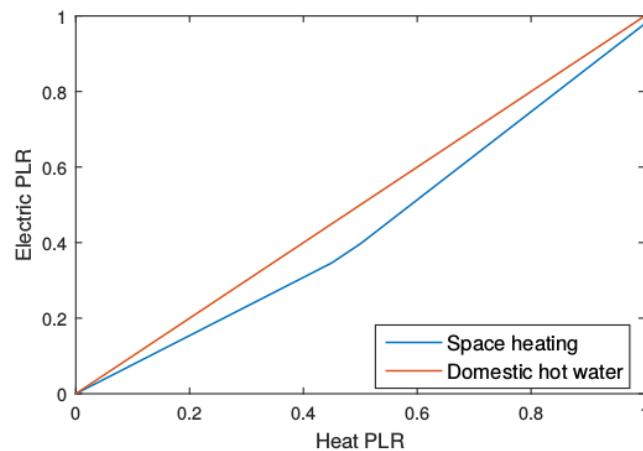
- ▶ $T_{out,n} = 7^{\circ}C$, $T_{su,n} = 35^{\circ}C$
- ▶ $\dot{Q}_n = 11,2 \text{ kW} / 14 \text{ kW}$
- ▶ $COP_n = 3,95$
- ▶ Full load characteristics: $f(T_{su}, T_{out})$



Heat model

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- ▶ Partial load performance



Heat model

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- ▶ $\dot{Q}_n = 11,2 \text{ kW} / 14 \text{ kW}$
- ▶ $COP_n = 3,95$
- ▶ Full load characteristics: $f(T_{su}, T_{out})$
- ▶ Partial load performance

Water heaters:

- ▶ $\dot{Q}_n = f(\dot{m}_w)$
- ▶ $COP = 1$

Model coupling

$$\begin{aligned}
 & \min \sum_i SystemCost_i \\
 & \sum_u (P_{u,i} \cdot Location_{u,n}) + \sum_l (Flow_{l,i} \cdot LineNode_{l,n}) \\
 & = Demand_{DA,n,h} + \sum_r (StorageInput_{s,h} \cdot Location_{s,n}) - ShedLoad_{n,i} \\
 & \quad - LostLoadMaxPower_{n,i} + LostLoadMinPower_{n,i} \quad (2)
 \end{aligned}$$

$$+10^{-6} \cdot \Delta P_i$$



$$\Delta P = P_{flexible} - P_{base}$$

Difference between the actual building consumption and the baseline consumption

Modeling of the Belgian building stock

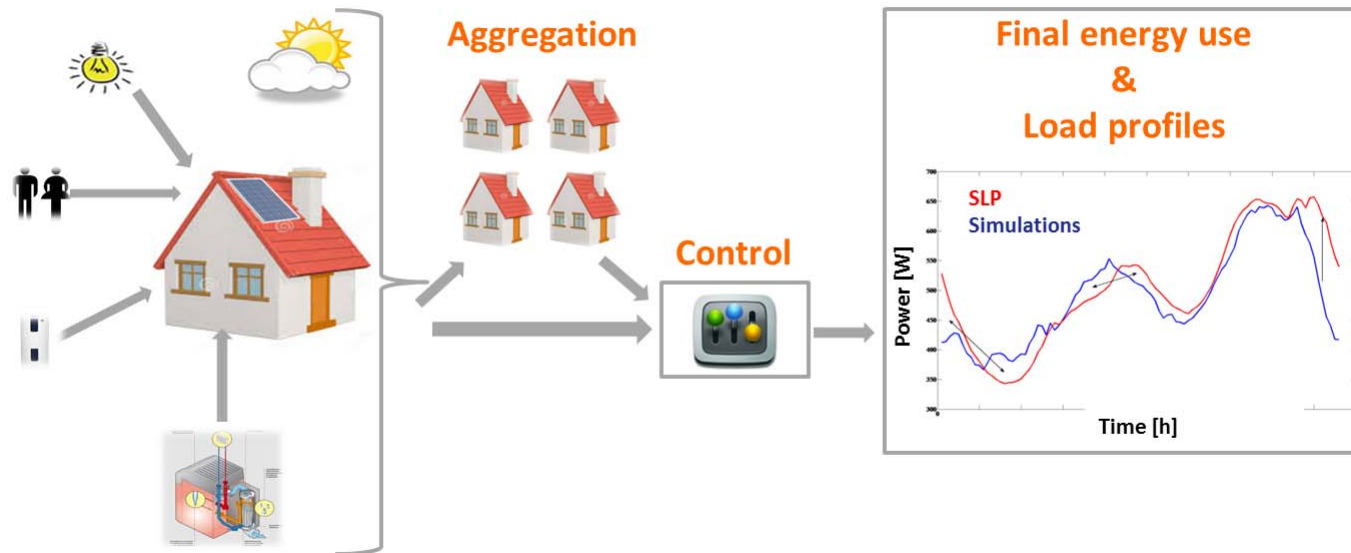
Database of building typologies validated with historical data.

Subset considered here: one building geometry and two insulation levels

- $U = 0.458 \text{ [W /m}^2\text{K]}$ (75%)
- $U = 0.305 \text{ [W /m}^2\text{K]}$ (25%)

Heat demand aggregation:

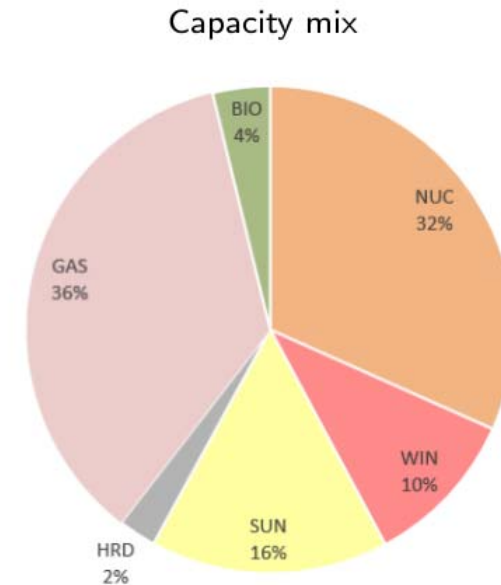
- 4 space heating comfort profiles
- 5 domestic hot water consumptions profiles



Simulations

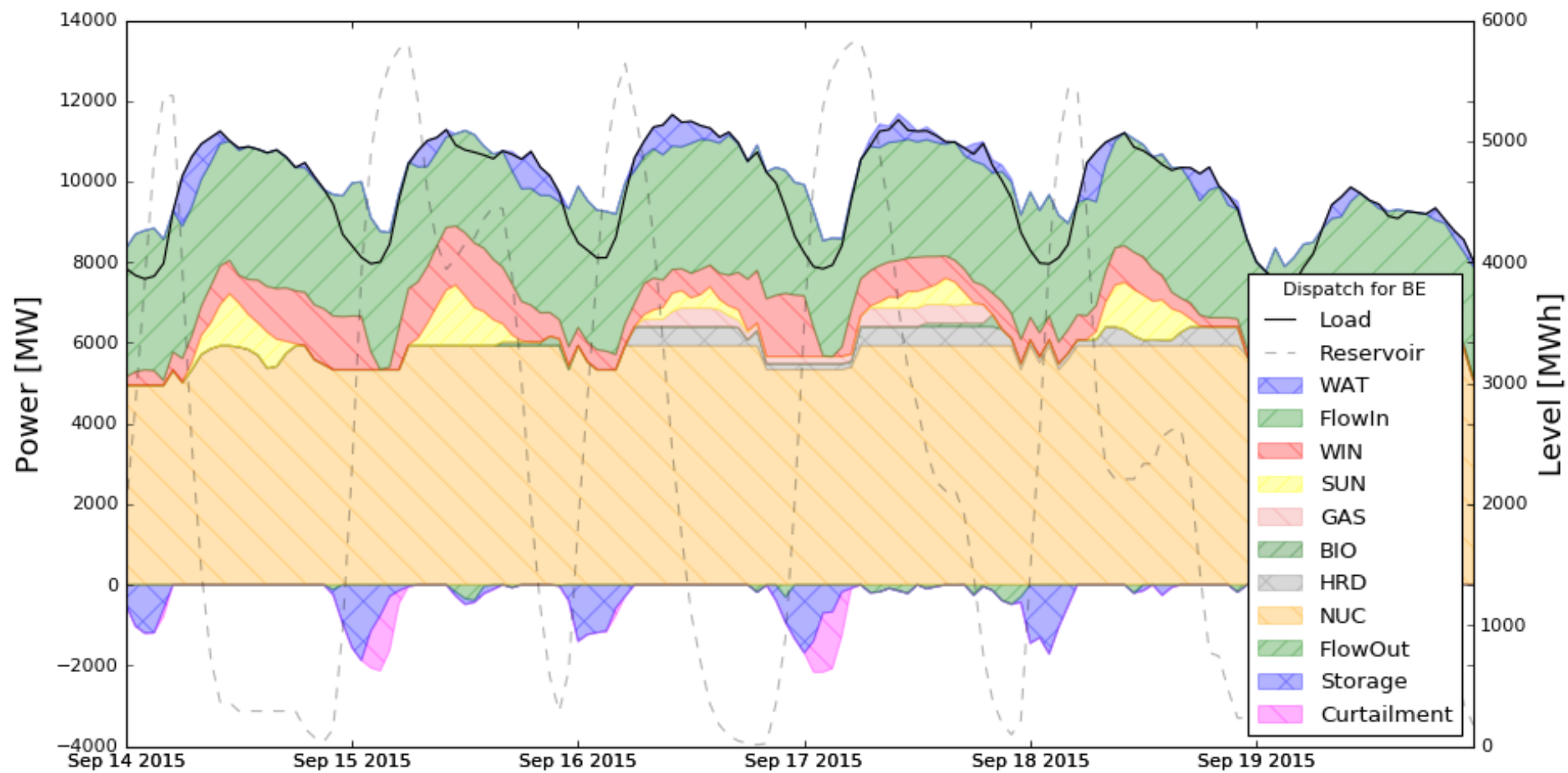
Base case study: Belgium in 2015

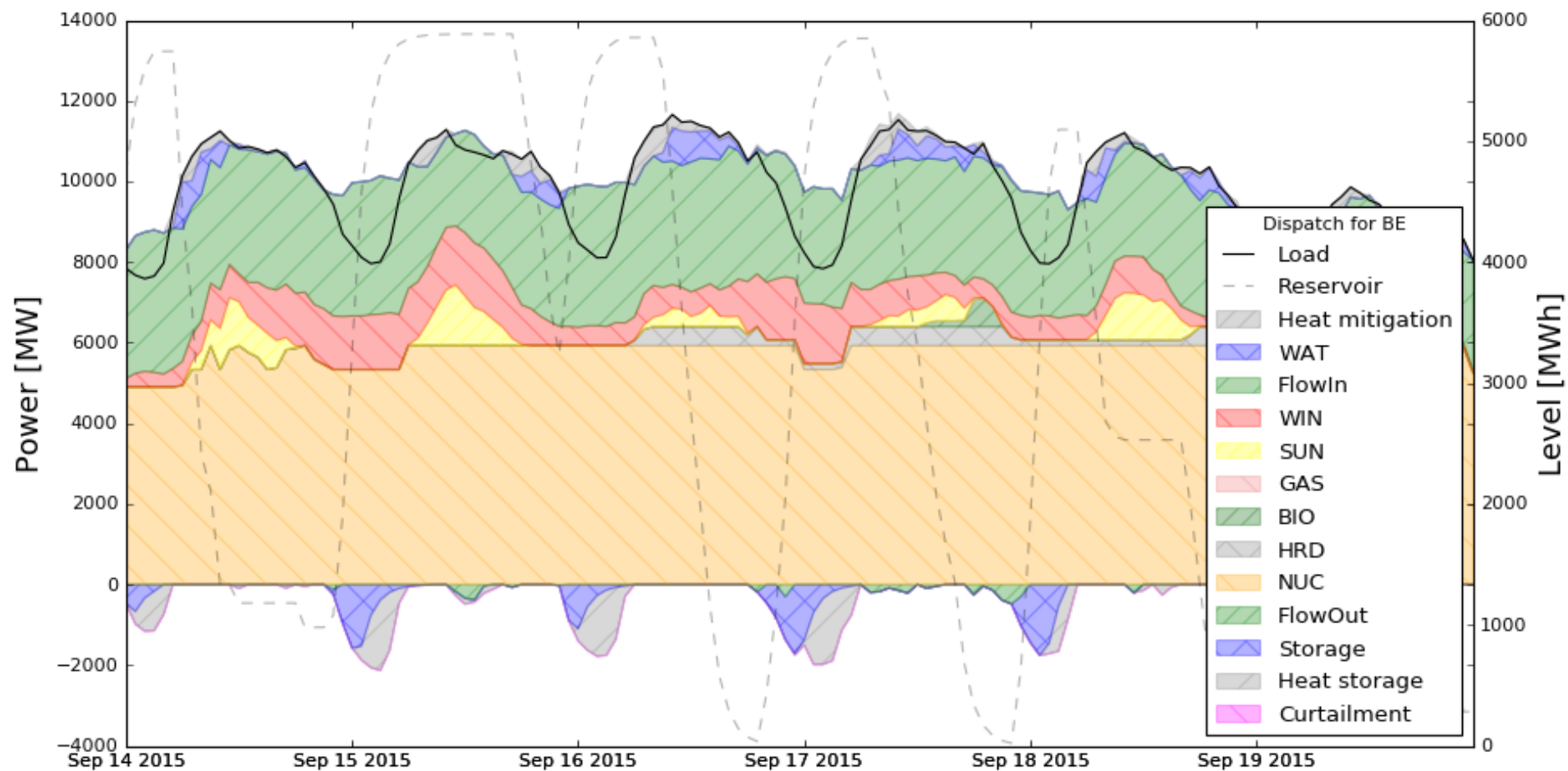
- ▶ 40 000 heat pumps
- ▶ 1 600 000 water heaters



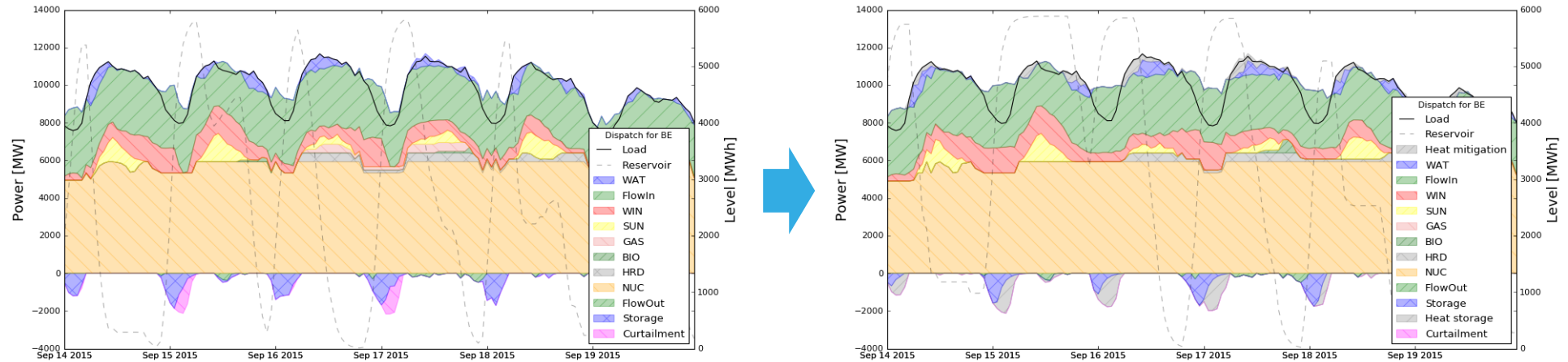
Parametric analysis:

Heating system	Number of flexible units	Renewable capacity	Flexibility of the system
HP - WH	0 - 0.2 - 0.4 - 0.6 - 0.8 - 1M	R1 - R2 - R3	Non-flexible - Flexible



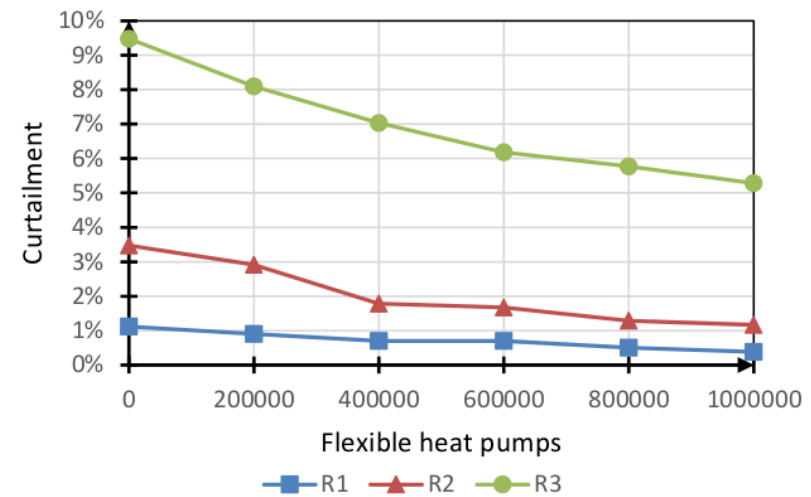
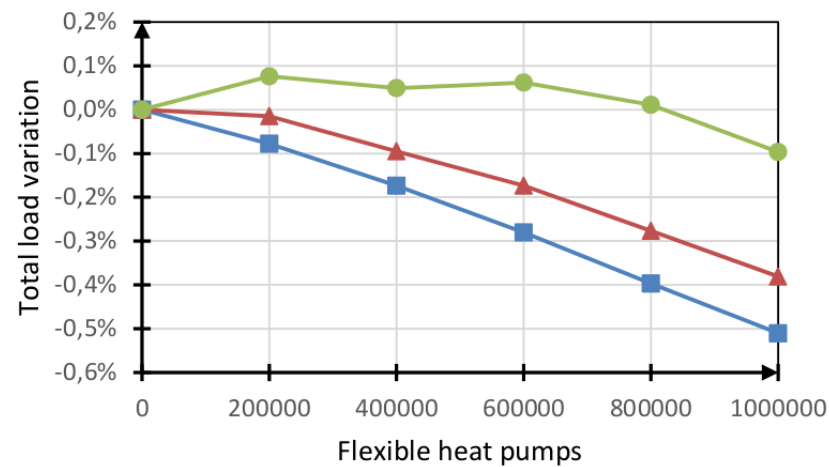
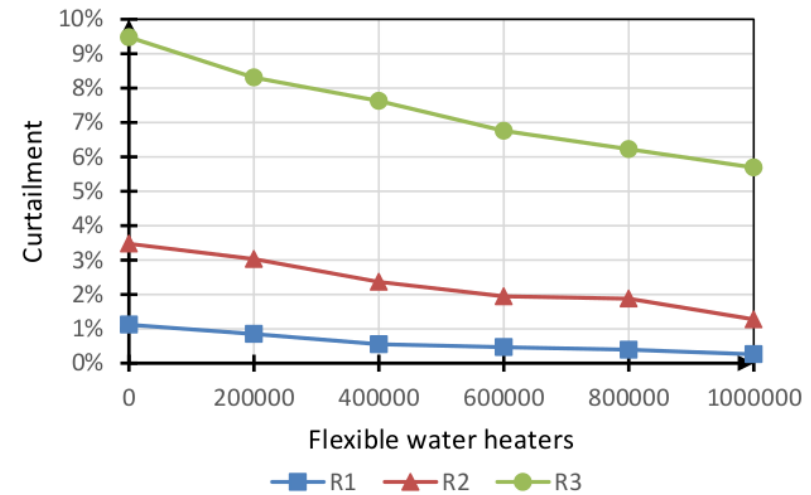
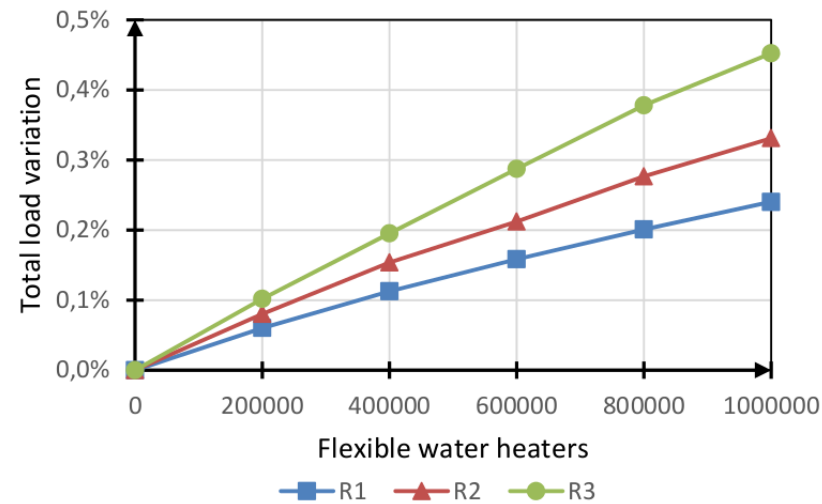


Simulation results: base case



	OC [M€]	Load [TWh]	C [GWh]	RGS [%]	ϵ_{gl} [%]	HCF [%]
Base	712	87.0	95.5 (1.2%)	11.9		10,6
Heat pumps	710	87.0	85.7 (1.0%)	12.0	119	10,4
Water heaters	703	87.3	8.9 (0.1%)	12.1	75.1	6,7

More simulation results



Conclusions

- With 1M flexible devices:
 - Up to 35M€ of operational cost reduction
 - Up to 1TWh of curtailed power reduction (1MWh/device)
 - Benefits are higher when the flexibility need is high (more renewable)
 - Benefits are reduced when the system is more flexible
 - Heat pumps and water heaters provide the same heat storage capacity
- Future improvements:
 - Adding cooling and/or more zones to the model
 - Include investments
 - Include uncertainty
 - EU-wide analysis
- All methods and models are released as open-source (Dispa-SET side): <https://joinup.ec.europa.eu/software/dispaset/>

Dispa-SET 2.1 Inputs

Dispa-SET Configuration File									
This is the standard configuration file for Dispa-SET. It defines the data sources for all the parameters and provides some indications regarding the structure of the data. This excel file must be provided when running the main dispa-set running script									
Description		Standard simulation for 6 countries, with the MILP formulation							
Simulation director	Relative Path	Simulations/simulation_test			This section defines the output of the pre-processing (which is the input of the DispaSet solver)				
Write excel	True/False	FALSE			The simulation environment is defined as a directory that contains all the required data and GAMS files				
Write GDX	True/False	TRUE			It is recommended to write the data in the 3 different formats (excel, gdx, pickle), but if one is not needed, it can be skipped.				
Write Pickle	True/False	TRUE							
GAMS path	Path								
Start date	Date	1/1/2015			Date and time parameters of the simulation				
Stop date	Date	12/31/2015			Start and stop dates need to be within the provided data				
Horizon length	Number of days	3			Hour 0 of the day is defined as midnight in timezone UTC+1				
Look ahead	Number of days	1							
Clustering	True/False	TRUE			This sections defines parameters that influence the formulation of the problem				
Simulation type	List	MILP			These parameters influence both the pre-processing (e.g. in LP clustering, all units are aggregated by type)				
Reserve calculation	List	Generic			and the solver (some constraints are removed when solving in LP)				
Allow Curtailment	True/False	TRUE							
Demand	Relative Path	Database/Load_RealTime/##			This section provides the paths to the raw data used to generate the Dispa-SET simulation template.				
Outages	Relative Path				The path is a relative path, the current directory being the one where DispaSET.py is executed.				
Power plant data	Relative Path	Database/PowerPlants/##/21							
Renewables AF	Relative Path	Database/AvailabilityFactors/							
Load Shedding	Relative Path		Default value	0.05	For datasets which have one file per country, replace the country code (2 characters) in the path by ##.				
NTC	Relative Path	Database/DayAheadNTC/1hr/			for example:				
Historical flows	Relative Path	Database/CrossBorderFlows			..data/Demand/##/2014/load.csv				
Scaled inflows	Relative Path	Database/HydroData/ScaledI			will fetch one load.csv file per country, by replacing ## with FR, DE, NL, etc.				
Price of Nuclear	Relative Path		Default value	3					
Price of Black coal	Relative Path	Database/FuelPrices/Coal/20			Default value	11			
Price of Gas	Relative Path	Database/FuelPrices/Gas/20			Default value	20	All fuel prices are in EUR/MWh of primary energy (lower heating value)		
Price of Fuel-Oil	Relative Path	Database/FuelPrices/Oil/2015			Default value	35			
Price of Biomass	Relative Path	Database/FuelPrices/Biomass			Default value	37			
Price of CO2	Relative Path				Default value	7			
Reservoir Levels	Relative Path	Database/HydroData/Reserv							
Countries to consider									
NUTS1 codes (ISO 3166-1 standard) of the simulated countries. NB: all the selected countries must be	AT	TRUE		IE	FALSE				
	BE	TRUE		IT	FALSE				
	BG	FALSE		LT	FALSE				
	CH	TRUE		LU	FALSE				
	CY	FALSE		LV	FALSE				
	CZ	FALSE		MT	FALSE				
	DE	TRUE		NL	TRUE				
	DK	FALSE		NO	FALSE				
	EE	FALSE		PL	FALSE				
	FI	FALSE		PT	FALSE				

Input database:

- RES generation profiles
- Power plants
- Demand curves
- Outages
- Fuel prices
- Lines capacities
- Minimum reservoir levels

From the same database different levels of model complexity are available:

- *MILP*
- *LP with all power plants*
- *LP one cluster per technology*
- *LP presolve + MILP*