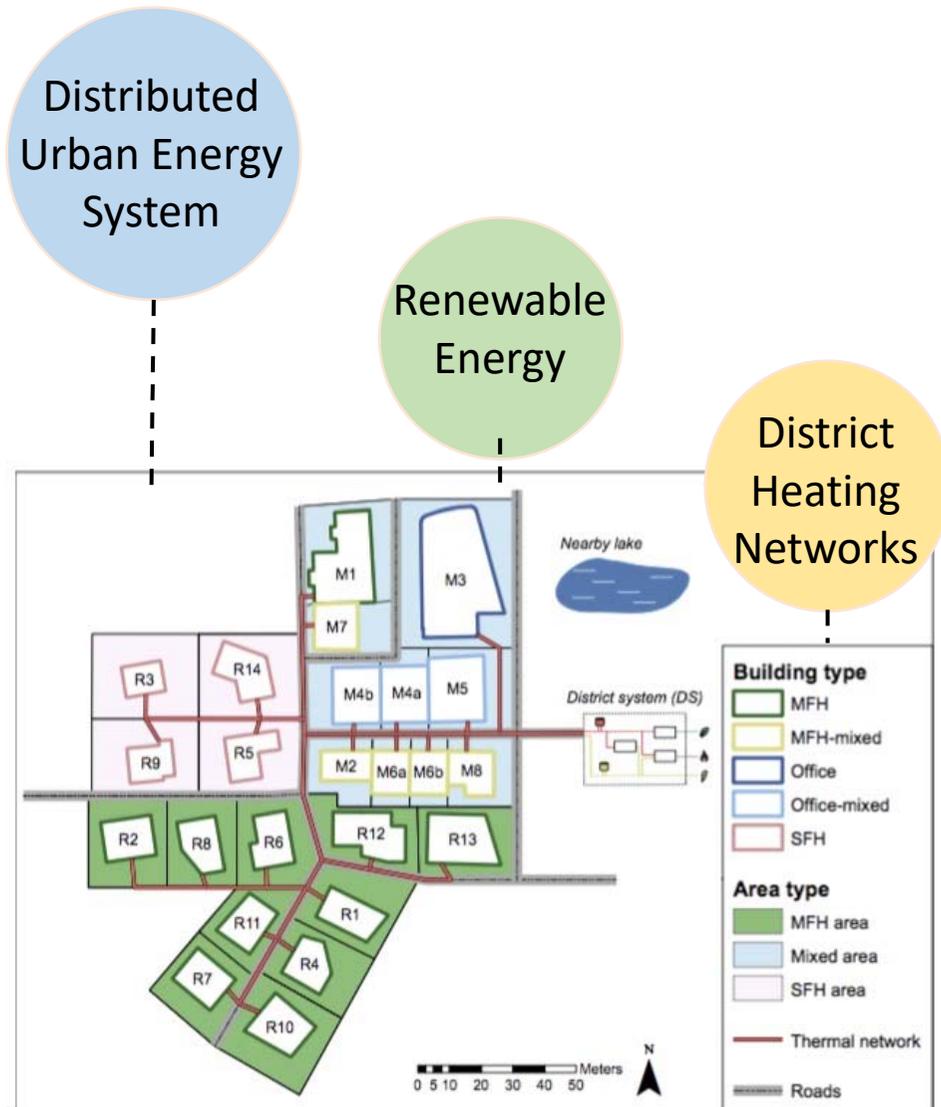




A study on the thermal performance of low temperature district heating networks with decentralized renewable energy feed-in

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Introduction



- Investigate on the potential of renewable integration into district heating networks
- Develop a proper approach for network representation, able to evaluate network performances for different configurations and find the optimal system design

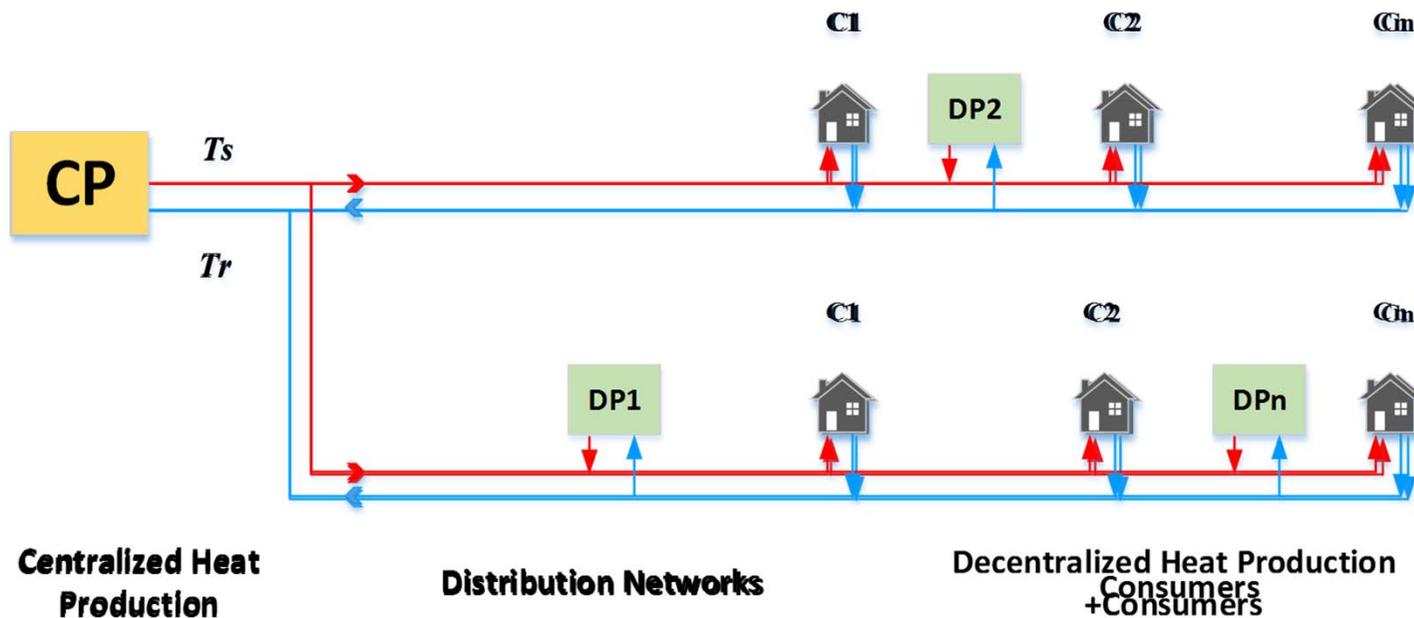
Map of the urban district with mixed building types and ages [1]

[1] G. Mavromatidis, Model-based Design Of Distributed Urban Energy Systems Under Uncertainty, PhD thesis, ETH Zurich, 2017

District Heating System : Components

- Centralized Heat Production
- Distribution Networks
- Consumers + Decentralized Renewable Source

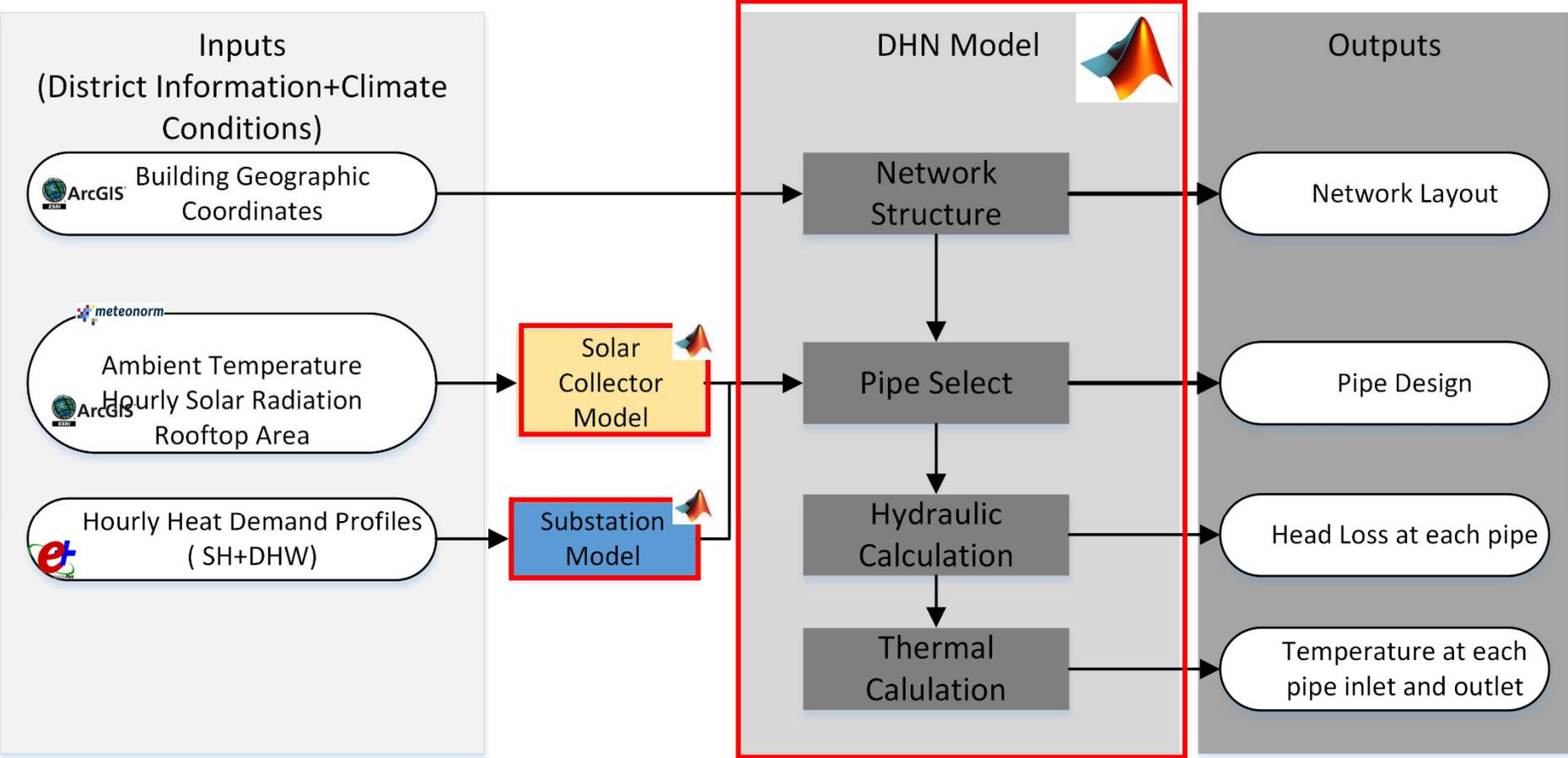
T_s Supply Temperature
 T_r Return Temperature
 C Consumer
CP Centralized Production
DP Decentralized Production



Modelling Framework

Modelling Framework

➤ A simulation model combined with network design



Network Model

➤ Multi-time step steady-state thermal hydraulic model

Network Structure



Hydraulic Model

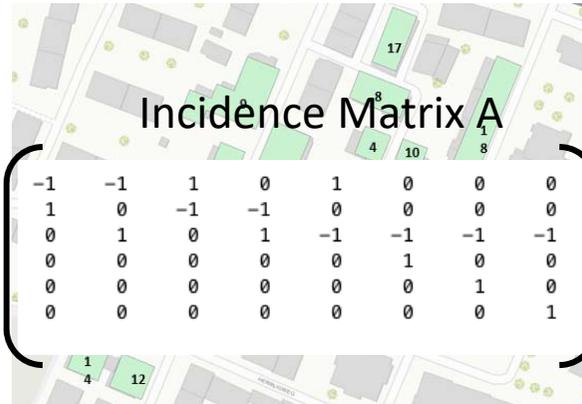
- Mass Conservation
- Head Loss Calculation



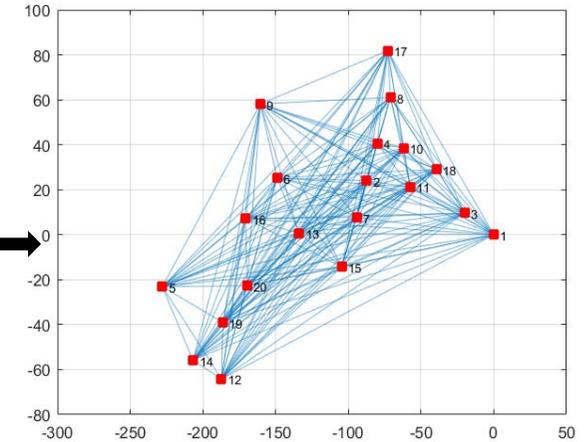
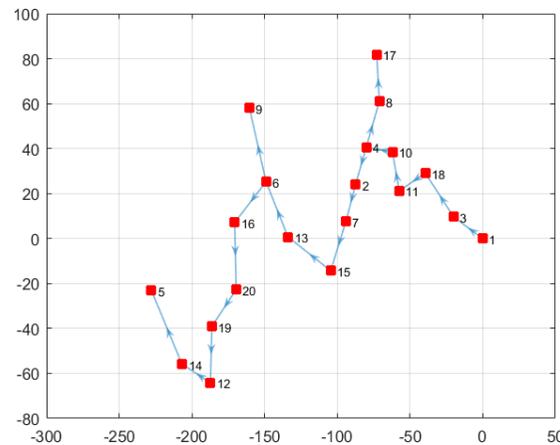
Thermal Model

- Pipe loss
- Flow Mixing

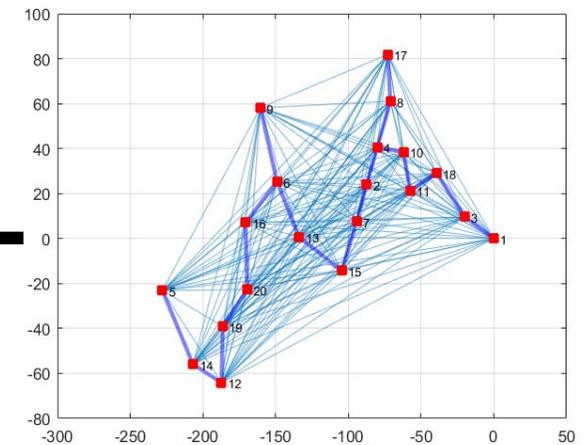
Building Coordinates



Graph Theory



Min Spanning Tree Algorithm



Network Model

- Multi-time step steady-state thermal hydraulic model

Network Structure

- Mass Conservation incorporated with incidence Matrix:

$$A \times \dot{m} = \dot{m} s$$

Hydraulic Model

- Mass Conservation
- Head Loss Calculation

- Darcy-Weisbach Equation (pressure drop) and friction factor f_D :

$$\Delta P_{ij} = f_D \cdot \frac{8L_{ij}}{\rho \cdot \pi^2 \cdot d_{ij}^5} \cdot \dot{m}_{ij}^2$$

$$f_D = \frac{64}{Re}$$

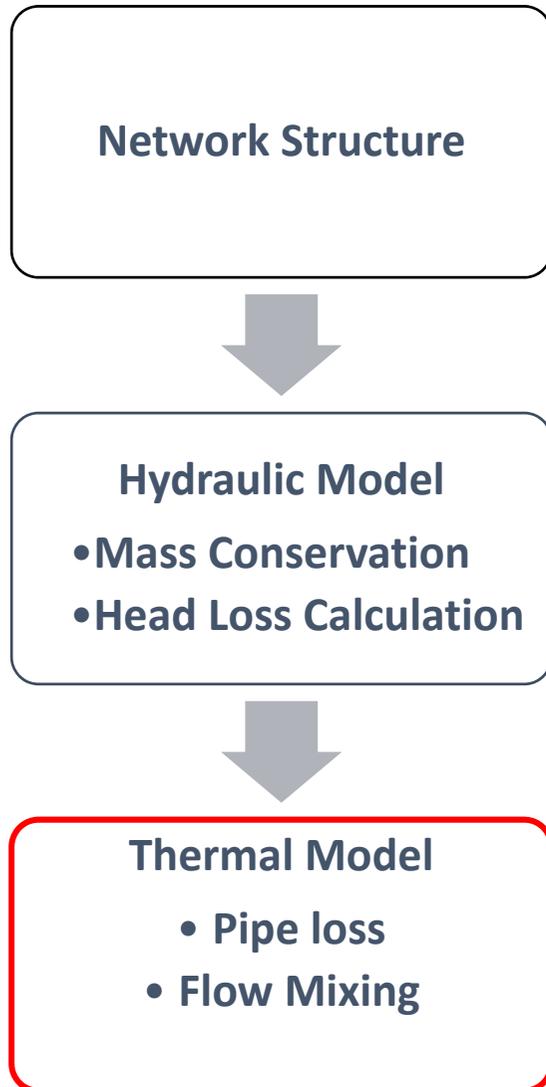
$$\frac{1}{f_D} = -2 \log \left(\frac{\varepsilon/d_{ij}}{3.7} + \frac{5.74}{Re^{0.9}} \right)$$

Thermal Model

- Pipe loss
- Flow Mixing

Network Model

- Multi-time step steady-state thermal hydraulic model



- Thermal loss along pipe:

$$T_{out} = T_g + (T_{in} - T_g) \cdot e^{-\frac{k_{ij} \cdot L_{ij}}{\dot{m}_{ij} \cdot cp}}$$

- Mixing of Flow:

$$\dot{m}_{mix} T_{mix} = \sum_i^n \dot{m}_i T_i$$

T_{out} outlet temperature

T_{in} inlet temperature

T_g ground temperature T_g

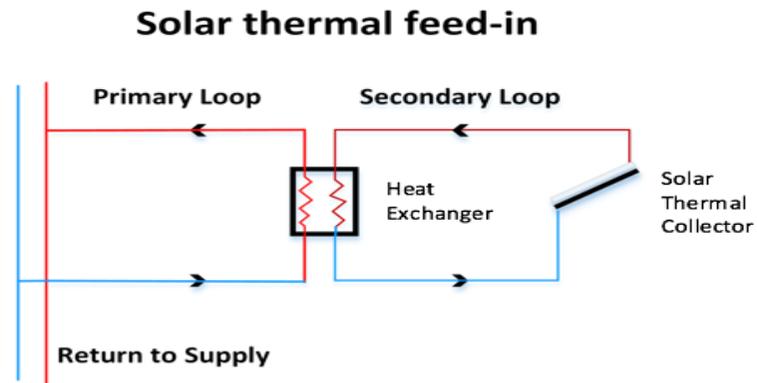
k_{ij} pipe thermal transfer coefficient

\dot{m}_{ij} pipe mass flowrate

Source and Sink Model

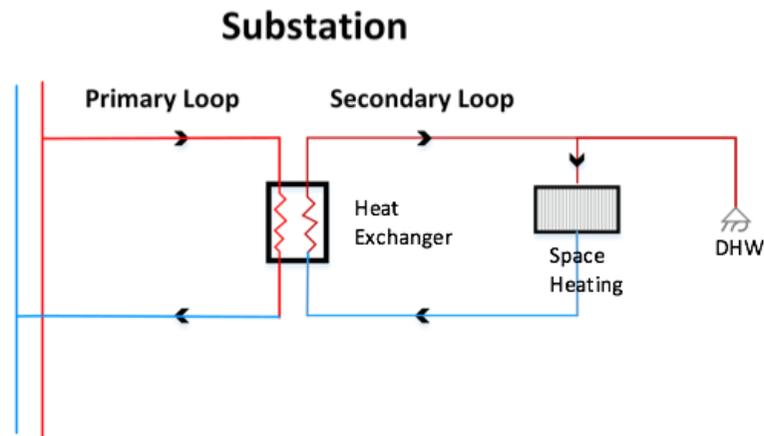
● Source

**Solar
Collector
Model**



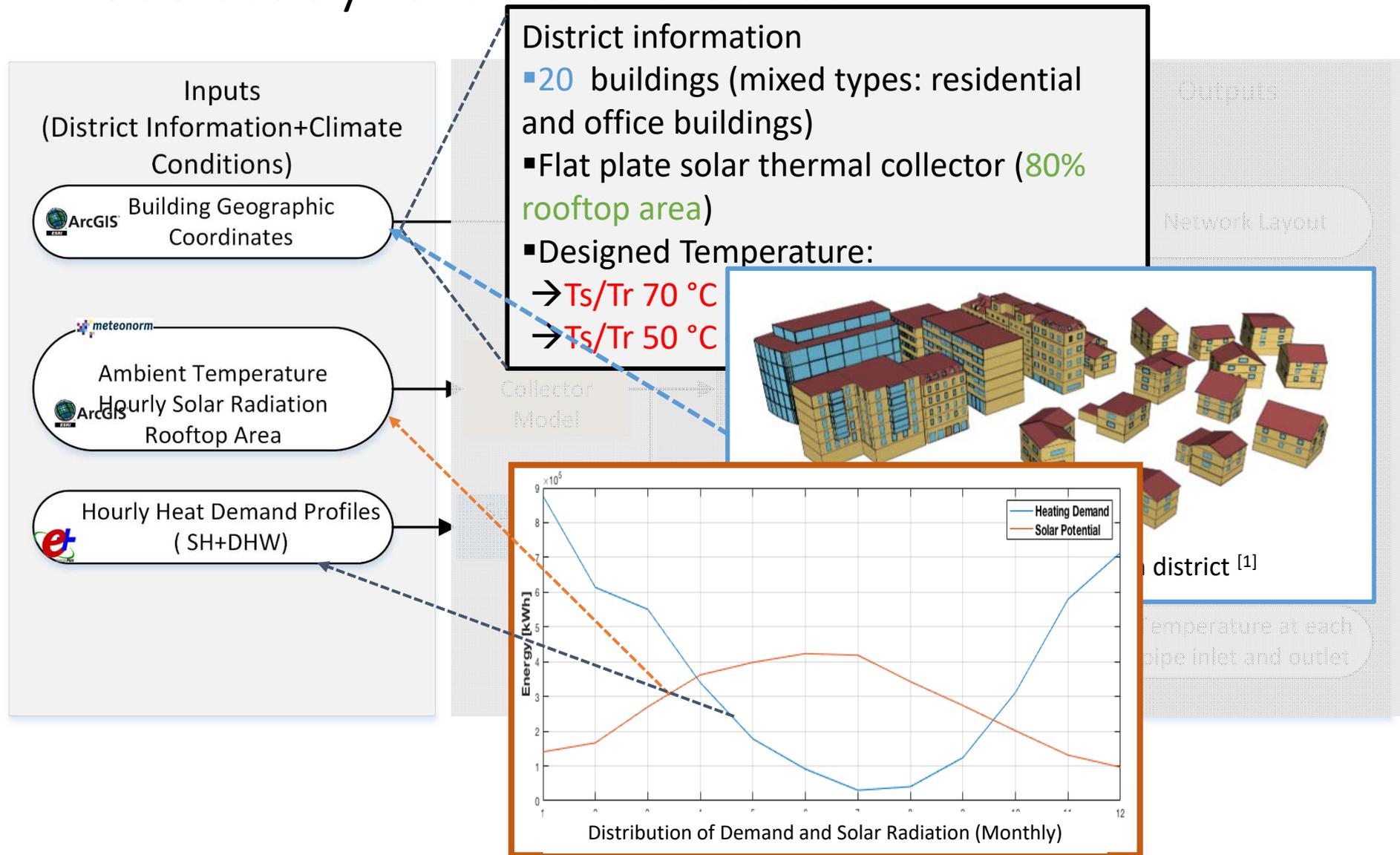
● Consumer

**Substation
Model**



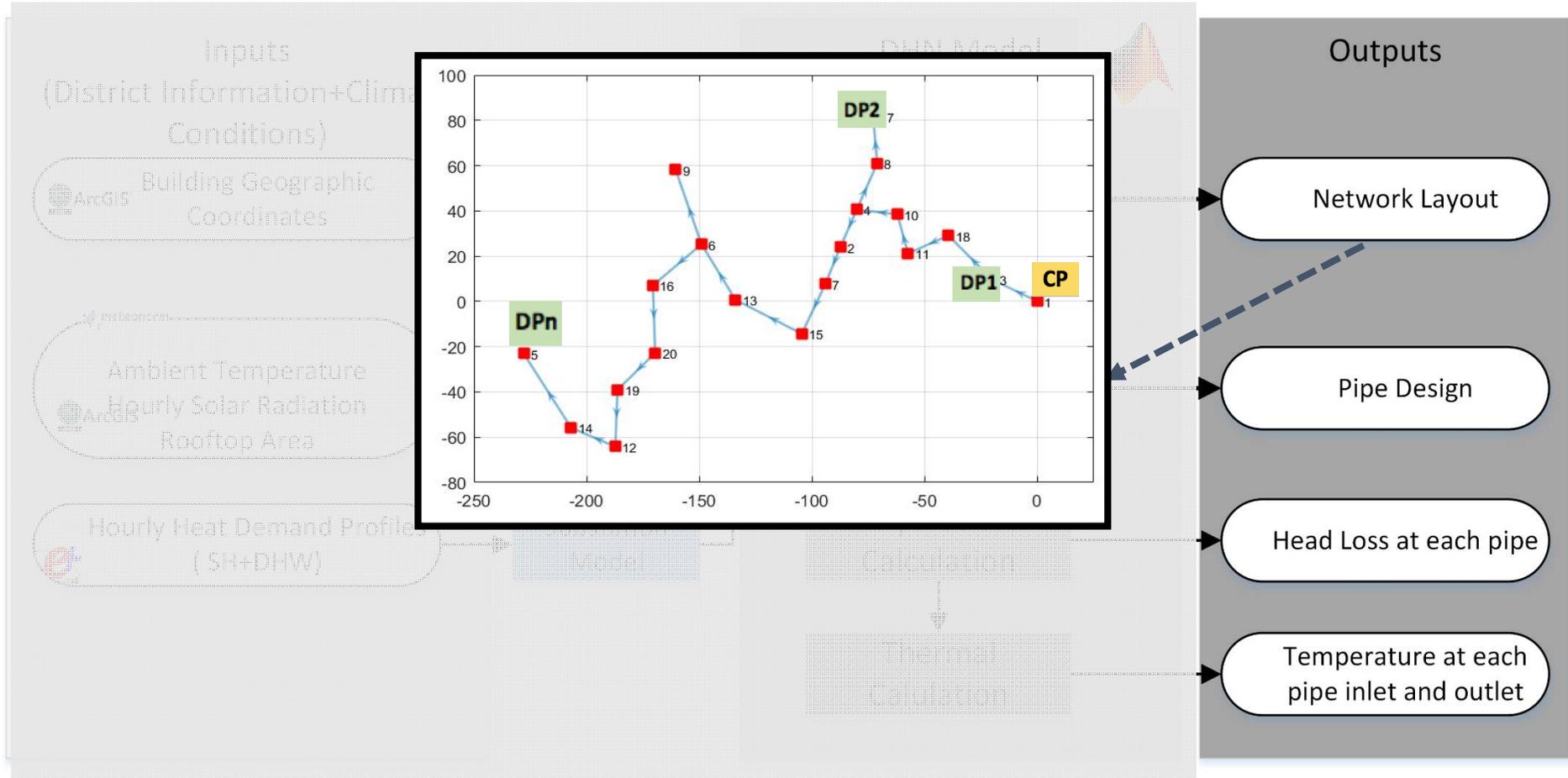
Case Study

Case study: artificial district



[1] G. Mavromatidis, Model-based Design Of Distributed Urban Energy Systems Under Uncertainty, PhD thesis, ETH Zurich, 2017

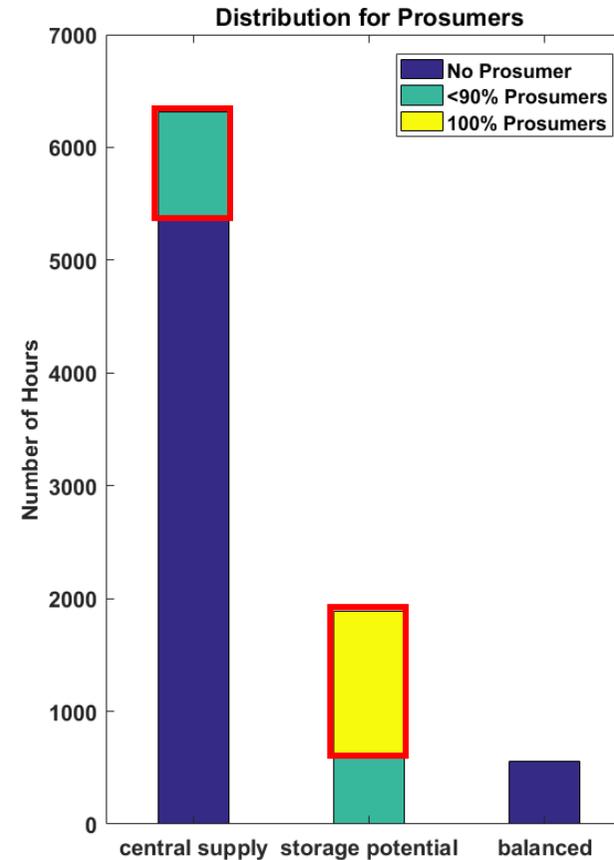
Case study: artificial district



Case study: artificial district

District information

- 20 buildings (mixed types: residential and office buildings)
- Flat plate solar thermal collector (80% rooftop area)
- Designed Temperature:
 - T_s/T_r 70 °C – 30 °C
 - T_s/T_r 50 °C – 25 °C

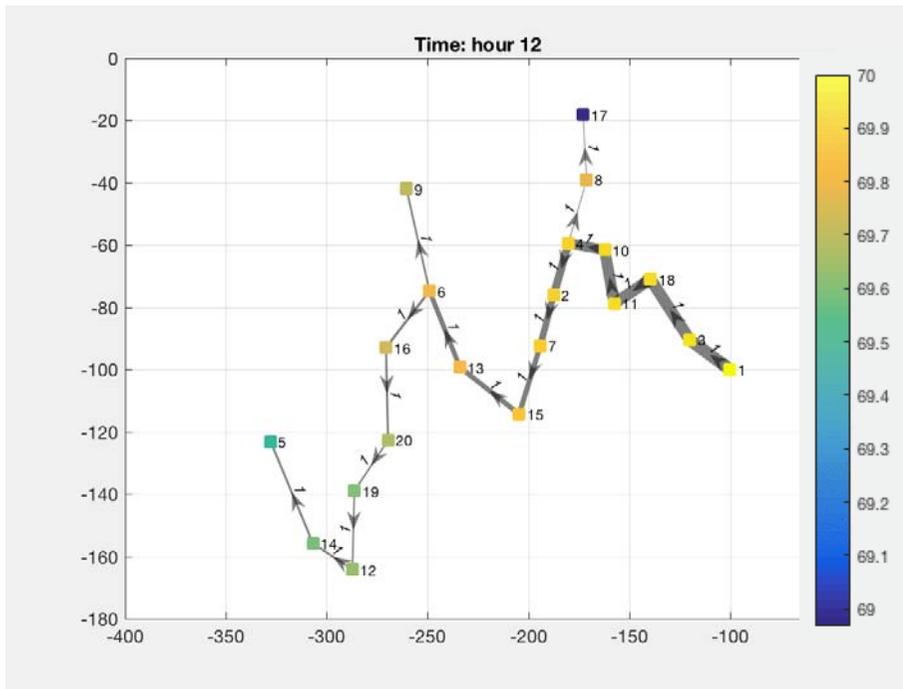


Some simulation results

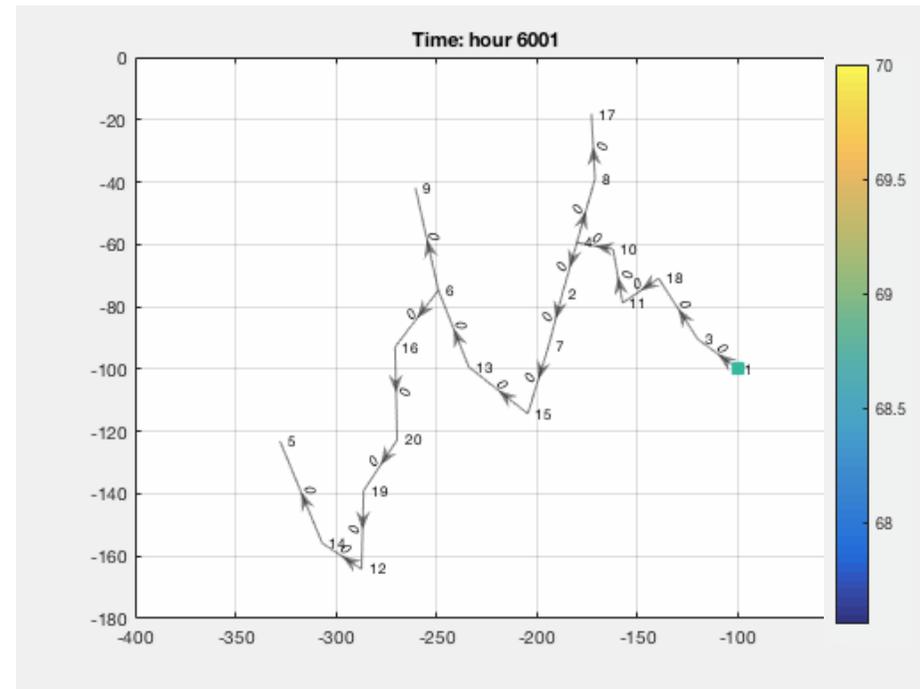
Case study: Results

- Hourly Temperature and Mass flow Rate Distribution

Winter Day



Summer Day



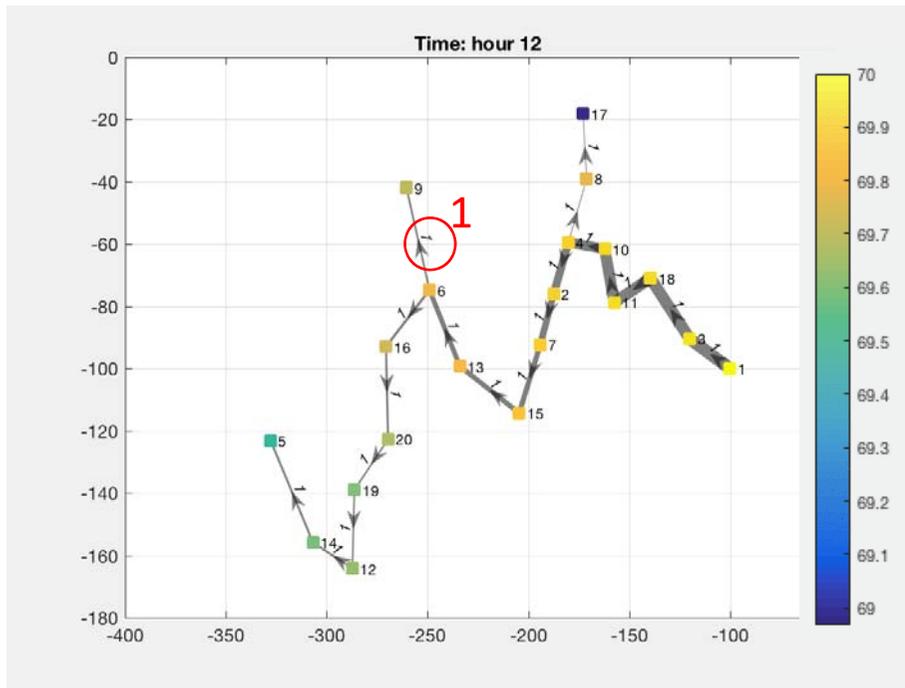
Remark :

- +1: flow direction aligned with arrow direction
- 1: flow direction opposite with arrow direction
- 0: no mass flow rate

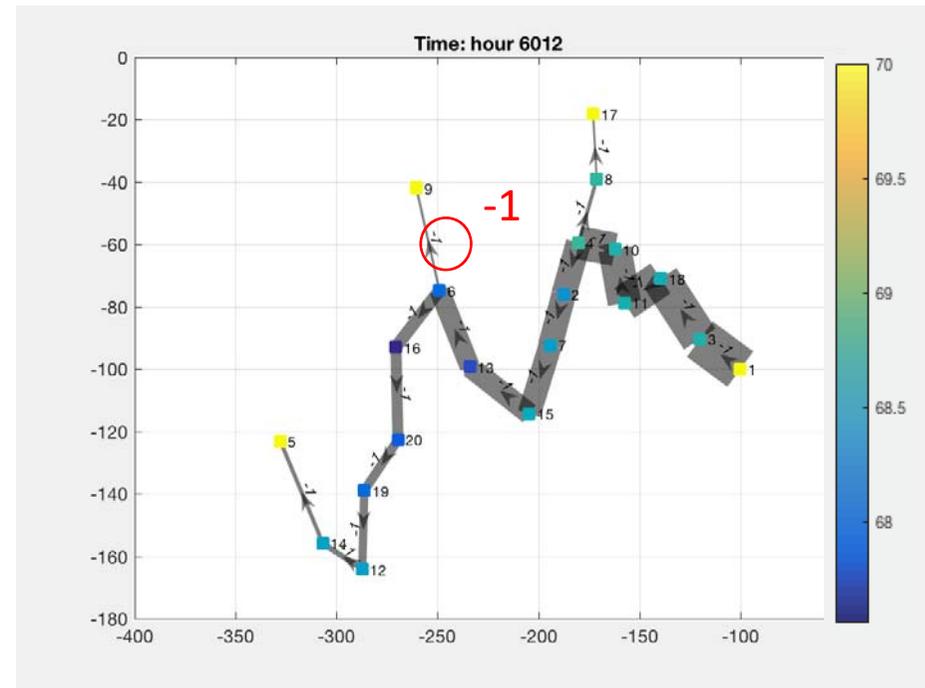
Case study: Results

- Hourly Temperature and Mass flow Rate Distribution

Winter Day



Summer Day

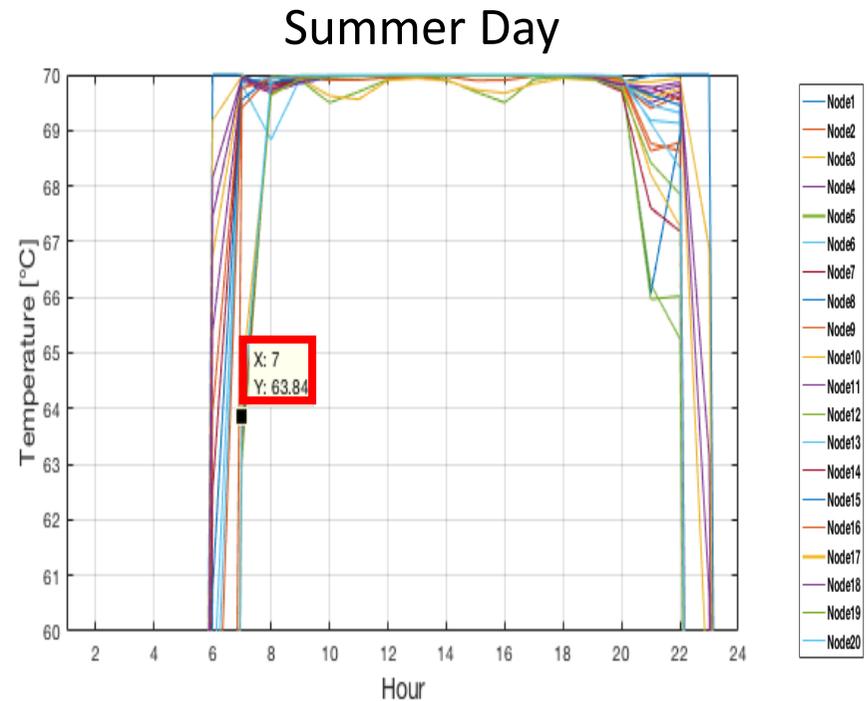
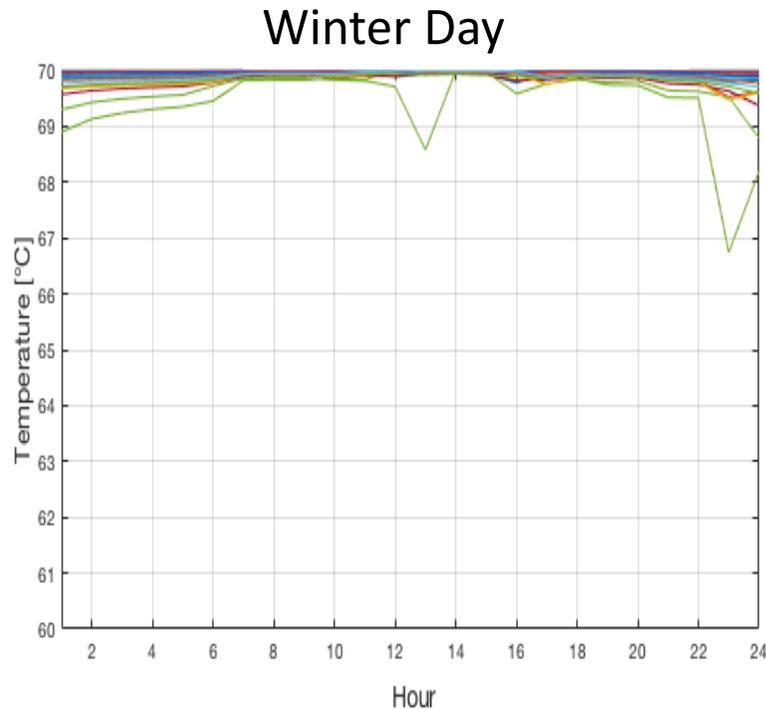


Remark :

- +1: flow direction aligned with arrow direction
- 1: flow direction opposite with arrow direction
- 0: no mass flow rate

Case study: Results

- Temperature delivered at each consumer on a typical winter and a summer day



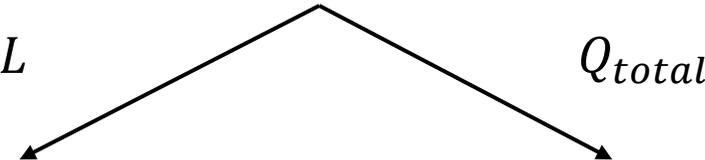
- Temperature variation is rather small in winter with the current operation strategies
- In summer, temperature drop is rather significant. Sometimes not hot enough for domestic hot water supply

Parametric Study

Parametric Study

Linear heating density (LHD)

$$LHD = \frac{Q_{total}}{L}$$



L_base **x 2** **x 3** **x 4** ... **x 10**

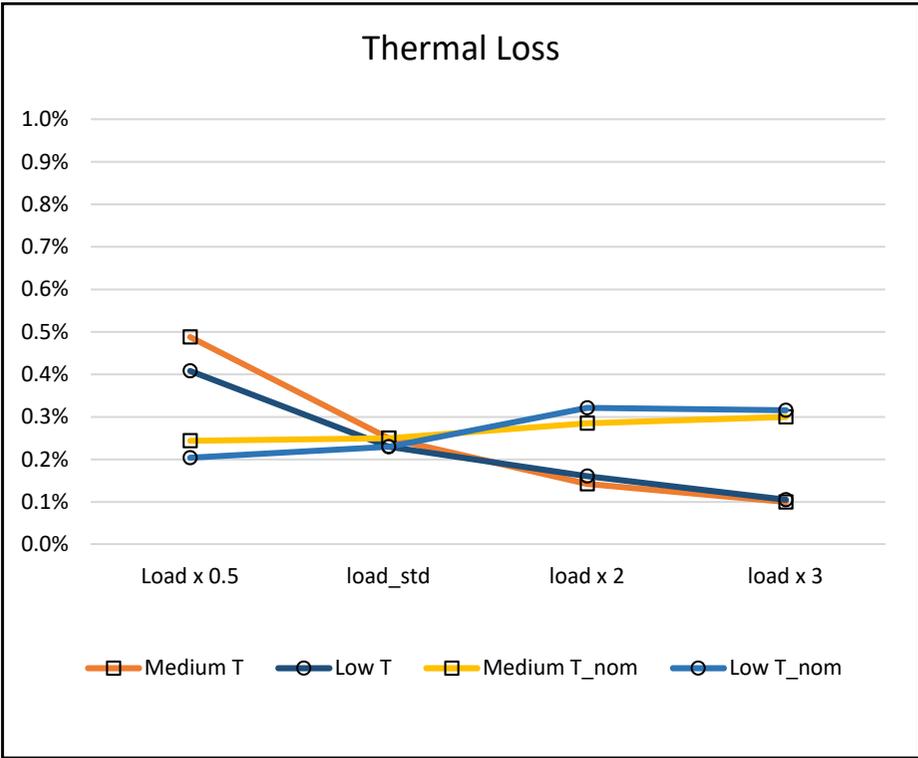
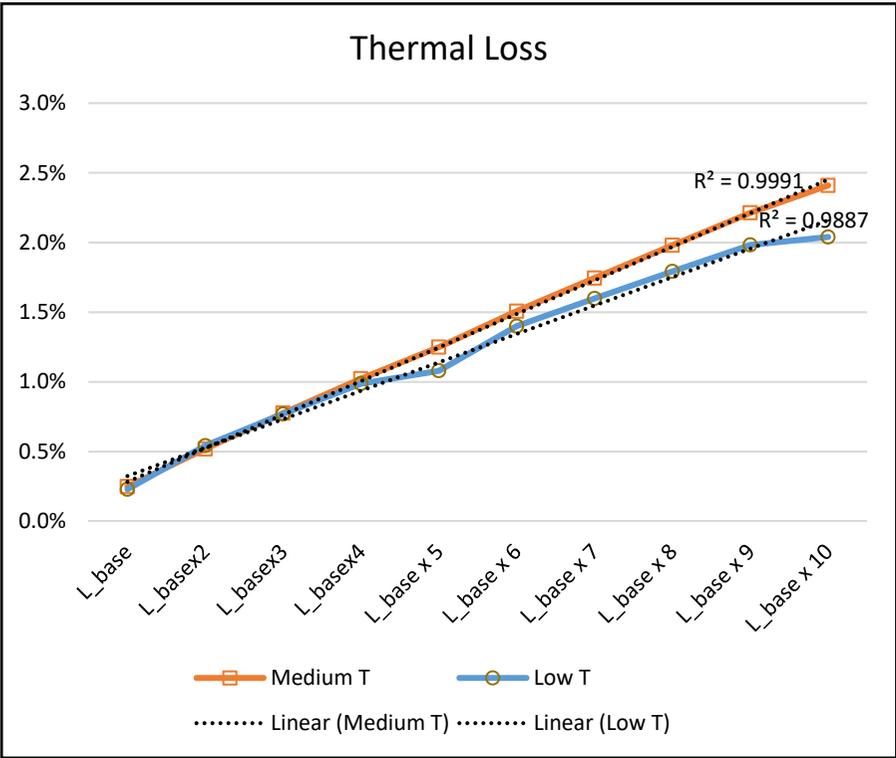
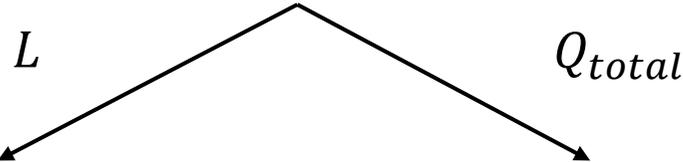
- [3.44 1.7 1.15 0.86 0.69 0.57 0.49 0.43 0.38 0.34]
MWh/m yearly

Q_base **x 1/2** **x 2** **x 3**

- [1.72 3.44 6.89 10.33]
MWh/m yearly

Parametric Study

$$LHD = \frac{Q_{total}}{L}$$



Conclusion:

- Focus on the decentralized solar energy integration to networks and evaluate thermal performances
- High potential for seasonal storage in summer
- Demonstrates some operational problem in summer with only DHW demand
- Thermal loss is almost linear correlated with distribution pipe lengths, while rather less sensitive to the total load
- Thermal performance with respect to different temperature schemes is less significant for shorter pipes.

Outlook:

- Perform exergy analysis
- Apply the methodology for different system configuration
- Incorporate cost data for economic analysis and cost effective design purpose
- Combine the network representation with optimization methods for system optimization
- Incorporate with short and long term storage technologies

Thanks for your attention



In cooperation with the CTI

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Commission for Technology and Innovation CTI

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